On the effect of the seed population: a comparison of low energy boundaries in the BAS Radiation Belt Model

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- Recent work has shown the importance of the seed population
- Captured in models by the low energy boundary condition
- Here we use different low energy boundary conditions in the BAS Radiation Belt Model
 - 1. Using POES MEPED data two methods developed
 - 2. Using Van Allen Probes MagEIS data
 - 3. Using a Kp driven statistical method derived from CRRES data see Glauert et al., 2014



ntarctic Survey

Method: step 2

Method: step 3

3

Model runs

Conclusions

- POES satellites operate in a polar orbit
- Orbit the Earth ~14 times each day
- Cross a range of L*
- Rapid coverage of the radiation belt region
- >19 years of data
- Up to 5 POES satellites multiple MLT planes
- Two main challenges:
 - 1. Integral flux data
 - 2. Low equatorial pitch angle

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Figure 1 – Trajectories of all available POES satellites from 2014-06-22 23:00:00 to 2014-06-23 00:40:00

Method: step 2

Method: step 3

Convert to Omnidirectional flux



- Assume: integral flux measured = flux at the magnetic equator with a pitch angle given by conservation of μ
- Assume an equatorial pitch angle distribution for the integral flux
- Integrate over this distribution to get omnidirectional flux
- POES measures >30, >100, and >300 keV flux use 3.5 years of MagEIS data to find equatorial pitch angle distributions



*

= 4.9

Convert to Omnidirectional flux

- $F(E > E_t, \alpha) = F(E > E_t, 90^o) \sin^{N(E_0)} \alpha$
- Integrate the MagEIS data
- Find equatorial pitch angles of the MagEIS pitch angle bins
- Sort by Kp and L*





 $F(E > E_t, \alpha) = AF(E > E_t, 90^o) \sin^{N_1(E_0)} \alpha + (1 - A)F(E > E_t, 90^o) \sin^{N_2(E_0)} \alpha$



Model runs

Conclusions

Use integral data to infer differential flux -Two methods explored

1) AE9 distributions method

- Use integral and differential flux distributions from the IRENE AE9 model
- For flux measured at a certain L* we take the flux-energy distributions at distances: (L* - 1 Re) < R < (L* + 1 Re)





AE9 distributions method





- Based on Reverse Monte Carlo
- Start with a distribution
- Calculate the three integrals
- Calculate X²
- Move a random point imposing the constraint that flux must fall with increasing energy
- Recalculate X²
- If $X_{new}^2 < X_{old}^2$ then accept move, if $X_{new}^2 > X_{old}^2$ then accept move with probability $exp(-\frac{\chi_{new}^2 \chi_{old}^2}{2})$

 $\chi^2 = \sum_{i} \frac{(f_{calc} - f_{obs})^2}{\sigma^2}$



Method: step 1

Method: step 2

3

Model runs

Conclusions

Convert to 90° equatorial pitch angle

- Have omnidirectional differential flux
- Again need to assume an equatorial pitch angle distribution
- Use average equatorial pitch angle distributions from MagEIS data

Fit either:

$$F(E > E_0, \alpha) = F(E > E_0, 90^o) \sin^{N(E_0)} \alpha$$
Or



 $F(E > E_0, \alpha) = AF(E > E_0, 90^o) \sin^{N_1(E_0)} \alpha + (1 - A)F(E > E_0, 90^o) \sin^{N_2(E_0)} \alpha$





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Conclusions

- Developed a method to generate event specific low energy boundary conditions from POES MEPED data
 - ➢ Useful when Van Allen Probes data is not available
 - ➢ High time resolution
- Using the POES generated low energy boundary performed better than the statistical model formed from CRRES data
- Varying the EMIN boundary condition resulted in variations in the ~1 MeV model output
- Examining variations in the low energy flux could improve our understanding of acceleration events

